Solving Systems Of Equations With Elimination Worksheet Answer Key PDF

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Part 1: Building a Foundation

What is the primary goal of the elimination method in solving systems of equations?

undefined. To graph the equations

undefined. To eliminate all variables

undefined. To eliminate one variable to solve for the other ✓

undefined. To find the determinant of the system

The primary goal is to eliminate one variable to solve for the other.

Which of the following are steps in the elimination method? (Select all that apply)

undefined. Arrange equations in standard form ✓

undefined. Graph the equations

undefined. Multiply equations to align coefficients ✓

undefined. Substitute solutions back into original equations

Steps include arranging equations in standard form and multiplying equations to align coefficients.

Explain why it is important to check your solution by substituting the values back into the original equations.

Checking ensures that the solution satisfies both original equations, confirming its validity.

List the standard form of a linear equation and the two main operations used in the elimination method.

1. What is the standard form of a linear equation?

Ax + By = C

2. What are the two main operations used in elimination?

Addition and subtraction

The standard form is Ax + By = C, and the main operations are addition and subtraction.

Part 2: Comprehension and Application

When is the elimination method particularly advantageous compared to substitution?

undefined. When equations are already solved for one variable

undefined. When coefficients of variables are aligned ✓

undefined. When equations are nonlinear

undefined. When there are more than two equations

It is advantageous when coefficients of variables are aligned.

Which scenarios might require multiplying one or both equations in the elimination method? (Select all that apply)

undefined. When coefficients of the variable to be eliminated are equal

undefined. When coefficients of the variable to be eliminated are different ✓

undefined. When equations are in slope-intercept form

undefined. When the system has no solution

Multiplying is needed when coefficients of the variable to be eliminated are different.

Apply the elimination method to solve the system: x + 2y = 8, 2x - 3y = -3. Show all steps and provide the solution.

The solution should show the elimination process and the final values of x and y.

Given the system of equations: 2x + 3y = 6, 4x + 6y = 12. What is the result after applying the elimination method to eliminate y?

undefined. 0 = 0 ✓

undefined. x = 3

undefined. y = 2

undefined. 2x = 6

The result indicates that the equations are dependent, leading to infinite solutions.

Part 3: Analysis, Evaluation, and Creation

Analyze the following system: x - y = 2, 2x - 2y = 4. What does the result of the elimination method indicate about the system?

undefined. One solution
undefined. No solution
undefined. Infinite solutions ✓
undefined. Inconsistent system

The result indicates that there are infinite solutions, as the equations represent the same line.

For the system: 5x + 2y = 20, 10x + 4y = 40. What can be concluded after applying the elimination method? (Select all that apply)

undefined. The system is dependent ✓
undefined. The system has infinite solutions ✓
undefined. The system is inconsistent
undefined. The equations are multiples of each other ✓

The system is dependent and has infinite solutions, as the equations are multiples of each other.

Evaluate the following system and determine the most efficient method to solve it: x + y = 10, x - y = 2. Which method is most efficient and why?

The elimination method is efficient here due to the simplicity of the coefficients.

Create a real-world scenario where the elimination method would be used to solve a system of equations. Describe the scenario and the system of equations involved.

A scenario could involve budgeting or resource allocation with two constraints.

Design a system of equations that has no solution and explain why the elimination method would show this result.

1. What is a system of equations with no solution?

x + y = 1 and x + y = 2

2. Why does the elimination method show this result?

The equations represent parallel lines.

A system with parallel lines has no solution, as they never intersect.