

# Piecewise Function Worksheet Answer Key PDF

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## Part 1: Building a Foundation

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### What is a piecewise function?

undefined. A function defined by a single equation for all values of  $x$ .

undefined. **A function defined by multiple sub-functions, each applying to a specific interval of the domain.** ✓

undefined. A function that is always continuous.

undefined. A function that only applies to integers.

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A piecewise function is defined by multiple sub-functions, each applying to a specific interval of the domain.

### How are the different pieces of a piecewise function typically written?

undefined. Using parentheses  $()$

undefined. **Using braces  $\{ \}$**  ✓

undefined. Using brackets  $[\ ]$

undefined. Using inequalities

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**How are the different pieces of a piecewise function typically written?**

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**undefined. Using braces { } ✓**

undefined. Using brackets [ ]

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Different pieces of a piecewise function are typically written using braces { }.

**Describe the notation used for a piecewise function.**

**The notation for a piecewise function typically includes a set of conditions and corresponding expressions for each interval.**

**Describe the notation used for a piecewise function.**

**The notation for a piecewise function typically includes a set of conditions for each piece.**

**Why might a piecewise function have a point of discontinuity?**

undefined. Because the function is not defined at that point.

**undefined. Because the function changes from one piece to another at that point. ✓**

undefined. Because the function is continuous everywhere.

undefined. Because the function is linear.

A piecewise function may have a point of discontinuity because the function changes from one piece to another at that point.

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## Part 2: Comprehension and Application

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Explain how you would evaluate a piecewise function at a given point.

To evaluate a piecewise function at a given point, identify which interval the point falls into and then use the corresponding expression to find the value.

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To evaluate a piecewise function at a given point, identify which piece applies to that point and use the corresponding expression.

Which of the following scenarios could be modeled by a piecewise function?

undefined. A car's speed that remains constant.

**undefined. A store's pricing that changes based on the quantity purchased. ✓**

undefined. A temperature that remains the same throughout the day.

undefined. A linear growth of a plant.

A store's pricing that changes based on the quantity purchased could be modeled by a piecewise function.

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A store's pricing that changes based on the quantity purchased can be modeled by a piecewise function.

Given the piecewise function  $f(x) = \{ x^2 \text{ for } x < 0, 2x + 1 \text{ for } x \geq 0 \}$ , evaluate  $f(-3)$ .

To evaluate  $f(-3)$ , use the piece  $x^2$  since  $-3$  is less than  $0$ , resulting in  $f(-3) = 9$ .

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To evaluate  $f(-3)$ , use the piece  $x^2$  since  $-3$  is less than  $0$ .

Sketch the graph of the piecewise function  $f(x) = \{ 3x + 2 \text{ for } x \leq 1, -x + 4 \text{ for } x > 1 \}$ .

The graph consists of a line for  $x \leq 1$  and another line for  $x > 1$ , meeting at the point  $(1, 5)$ .

Sketch the graph of the piecewise function  $f(x) = \{ 3x + 2 \text{ for } x \leq 1, -x + 4 \text{ for } x > 1 \}$ .

The graph consists of two linear pieces with a break at  $x = 1$ .

### Part 3: Analysis, Evaluation, and Creation

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Analyze the continuity of the piecewise function  $f(x) = \{ x + 1 \text{ for } x < 0, 2x \text{ for } x \geq 0 \}$  at  $x = 0$ .

The function is continuous at  $x = 0$  since both pieces meet at the same value, which is  $0$ .

Analyze the continuity of the piecewise function  $f(x) = \{ x + 1 \text{ for } x < 0, 2x \text{ for } x \geq 0 \}$  at  $x = 0$ .

To analyze continuity, check if the left-hand limit equals the right-hand limit at  $x = 0$ .

Compare the graphs of the piecewise functions  $f(x) = \{ x^2 \text{ for } x < 1, 2x \text{ for } x \geq 1 \}$  and  $g(x) = \{ x^2 \text{ for } x < 1, 2x + 1 \text{ for } x \geq 1 \}$ .

The graph of  $f(x)$  is continuous at  $x = 1$ , while  $g(x)$  has a jump discontinuity at that point.

Compare the graphs of the piecewise functions  $f(x) = \{ x^2 \text{ for } x < 1, 2x \text{ for } x \geq 1 \}$  and  $g(x) = \{ x^2 \text{ for } x < 1, 2x + 1 \text{ for } x \geq 1 \}$ .

The graphs differ at  $x = 1$ , where  $f(x)$  is continuous and  $g(x)$  has a jump.

Evaluate the effectiveness of using a piecewise function to model a tax system where different rates apply to different income brackets.

Using a piecewise function for a tax system allows for clear representation of varying rates.

Evaluate the effectiveness of using a piecewise function to model a tax system where different rates apply to different income brackets.

Using a piecewise function for a tax system allows for clear representation of varying rates, but it can complicate calculations.

Create a piecewise function to model a scenario where a parking fee is \$5 for the first hour and \$3 for each additional hour.

The piecewise function can be defined as  $f(x) = \{ 5 \text{ for } 0 < x \leq 1, 5 + 3(x - 1) \text{ for } x > 1 \}$ .

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Propose a real-world situation that could be effectively modeled by a piecewise function and justify your choice.

A real-world situation could be the pricing of a utility bill that changes based on usage levels.

Propose a real-world situation that could be effectively modeled by a piecewise function and justify your choice.

A real-world situation could be the pricing of a utility bill where different rates apply based on usage levels.