

Function Notation Worksheet Answer Key PDF

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Part 1: Building a Foundation

What does the notation f(x) represent in mathematics?

undefined. A) A variable **undefined. B) A function** ✓ undefined. C) A constant undefined. D) An equation

The notation f(x) represents a function.

Which of the following are types of functions?

undefined. A) Linear 🗸

undefined. B) Quadratic 🗸

undefined. C) Exponential \checkmark

undefined. D) Polynomial \checkmark

Linear, quadratic, exponential, and polynomial are all types of functions.

Explain what is meant by the domain of a function.

The domain of a function refers to the set of all possible input values (x-values) that the function can accept.

List two characteristics of a linear function.

1. Characteristic 1 Constant rate of change

2. Characteristic 2



Graph is a straight line

Linear functions have a constant rate of change and their graph is a straight line.

What is the range of the function f(x) = 2x + 3?

undefined. A) All real numbers ✓ undefined. B) Positive integers undefined. C) Negative integers undefined. D) Non-negative integers

The range of the function f(x) = 2x + 3 is all real numbers.

Part 2: Comprehension and Interpretation

If f(x) = 3x - 4, what is f(2)?

undefined. A) 2 ✓ undefined. B) 6 undefined. C) 5 undefined. D) 2 f(2) = 3(2) - 4 = 2.

Which statements are true about the function $f(x) = x^2$?

- undefined. A) It is a quadratic function. \checkmark
- undefined. B) Its graph is a parabola. ✓
- undefined. C) It has a constant rate of change.
- undefined. D) Its domain is all real numbers. \checkmark

The function $f(x) = x^2$ is a quadratic function, its graph is a parabola, and its domain is all real numbers.

Describe how you would determine the inverse of a function.

To find the inverse of a function, you switch the x and y variables and solve for y.

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Part 3: Application and Analysis

Given f(x) = 2x + 1, what is the value of x if f(x) = 9?

undefined. A) 3 **undefined. B) 4 √** undefined. C) 5 undefined. D) 6

If f(x) = 9, then 2x + 1 = 9, which gives x = 4.

For the function $f(x) = x^2 - 4x + 4$, which of the following are true?

undefined. A) It has a minimum value. ✓
undefined. B) It is a linear function.
undefined. C) The vertex is at (2,0). ✓
undefined. D) It opens upwards. ✓

The function has a minimum value, the vertex is at (2,0), and it opens upwards.

Apply the concept of domain to determine the domain of the function f(x) = 1/(x-3).

The domain of f(x) = 1/(x-3) is all real numbers except x = 3.

Which of the following graphs represents a function with a domain of all real numbers and a range of $y \ge 0$?

undefined. A) A line **undefined. B) A parabola opening upwards** ✓ undefined. C) A circle undefined. D) A hyperbola

A parabola opening upwards represents a function with a domain of all real numbers and a range of $y \ge 0$.

Part 4: Evaluation and Creation

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Evaluate the statements about the function f(x) = |x|.

undefined. A) It is not differentiable at x = 0.

undefined. B) It is an even function. \checkmark

undefined. C) Its range is all real numbers.

undefined. D) It is continuous everywhere. \checkmark

The function f(x) = |x| is not differentiable at x = 0, it is an even function, and it is continuous everywhere.

Create a real-world scenario where a quadratic function could be used to model the situation. Describe the scenario and the function.

A real-world scenario could involve the path of a projectile, modeled by a quadratic function.

Analyze the relationship between a function and its inverse. Provide an example to illustrate your explanation.

The inverse of a function reverses the input-output relationship, for example, if f(x) = 2x, then $f^{-1}(x) = x/2$.