

## **Eigenvalues and Eigenvectors Quiz PDF**

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Which method is commonly used to find eigenvalues of large matrices?
<ul><li>Simplex method</li><li>Power iteration</li><li>Gaussian elimination</li><li>Newton's method</li></ul>
A matrix A is diagonalizable if it can be expressed as:
What is the geometric multiplicity of an eigenvalue?
<ul> <li>The number of times an eigenvalue appears in the characteristic polynomial</li> <li>The number of linearly independent eigenvectors for an eigenvalue</li> <li>The determinant of the matrix</li> <li>The trace of the matrix</li> </ul>
In which field is Principal Component Analysis (PCA) commonly used?
<ul><li>Sorting algorithms</li><li>Principal Component Analysis</li><li>Network routing</li></ul>

Explain how eigenvalues are used to determine the stability of a dynamical system.



	//
Explain what an eigenvector is and how it relates to an eigenvalue.	
	//
Describe the process of deriving the characteristic equation for a 2x2 matrix.	
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	//
	_//
What are true statements about the algebraic multiplicity of an eigenvalue? (Select all that apply	/)
☐ It is always equal to the geometric multiplicity.	
It can be greater than the geometric multiplicity.	
☐ It is the number of times an eigenvalue appears as a root.	
☐ It is always less than the geometric multiplicity.	
In stability analysis, a system is considered stable if all eigenvalues have:	
O Positive real parts	
O Negative real parts	
○ Zero real parts	
○ Imaginary parts only	



Complex eigenvalues indicate which of the following in a system? (Select all that apply)
Oscillatory behavior
☐ Stability
☐ Rotational dynamics
☐ Linear growth
Which numerical methods are used to compute eigenvalues and eigenvectors? (Select all that apply)
☐ QR algorithm
Power iteration
Gradient descent
☐ Simplex method
Why are eigenvectors often normalized?
○ To simplify calculations
To ensure they have a unit length
○ To change their direction
○ To make them orthogonal
Discuss the difference between algebraic and geometric multiplicity of an eigenvalue.
What conditions must be met for a matrix to be diagonalizable?



What is an eigenvalue?
A vector that does not change direction under a linear transformation
A scalar that scales an eigenvector under a linear transformation
A matrix that transforms a vector
A determinant of a matrix
Eigenvalues and eigenvectors are used in which of the following fields? (Select all that apply)
Quantum mechanics
☐ Image processing
Weather forecasting
Financial modeling
How are eigenvalues and eigenvectors used in Principal Component Analysis (PCA)?
now are eigenvalues and eigenvectors used in Principal Component Analysis (PCA):
Which equation is used to find eigenvalues?
○ A\mathbf{v} = \lambda\mathbf{v}
○ \det(A - \lambda I) = 0
$\bigcirc A = PDP^{-1}$
Which components are used to derive the characteristic equation? (Select all that apply)
☐ Matrix A ☐ Identity matrix I
☐ Eigenvalue λ
□ Eigenvector v
_ <b>`</b>
Which of the following statements are true about eigenvectors? (Select all that apply)



☐ They can be zero vectors.	
☐ They change direction under a linear transformation.	
☐ They can be scaled to have a unit length.	
☐ They correspond to eigenvalues.	